# A CFD-Based Numerical Framework for Modelling Open Ocean Aquaculture Structures

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## Today's Aquaculture Structures

- mostly inside fjords
- hydrodynamic loading: currents
- protected against large waves
  - mostly Hs,max< 1 m</li>
  - very few places with Hs> 1.5 m
- traffic light system for salmon lice
- higher environmental impact on closed water systems



# Ambitious Goals

- increased production
- larger devices
- exposed area: Hs= 5 m, Hs= 16 m
- exposed for large waves and extreme weather
- outside the traffic light system for salmon lice
- reduced environmental impact in open ocean
- challenging: fish escape & fish mortality



## Project Objectives



Traditional aquaculture in fjords



#### Open ocean structures





# Challenges

- Enable the investigation of offshore aquaculture structures in the ocean
  - Complex FSI
  - Including flexible structures
- Computational Fluid Dynamics
  - Inside into flow pattern around and in the cages
  - Accurate force calculations in severe weather conditions
- <u>Tasks:</u>
  - Developing suitable mooring model
  - Developing suitable net model
  - Modelling the fluid-structure interaction in CFD solver

Rigid-body FSI solver

Mooring dynamics



Fluid-net coupling

#### Net dynamics

# REEF3D::CFD

#### - Solves:

- Full 3D Navier-Stokes Equations
- Free Surface: Two-Phase Flow Water & Air

#### - Focus on:

- Free Surface Flows
- Wave Hydrodynamics
- Floating Structures
- Open Channel Flow
- Sediment Transport

#### - The Code

- part of the REEF3D hydrodynamic framework
- C++ (modular & extensible)
- Parallel Computing / HPC
- Open-Source: <u>https://github.com/REEF3D</u>
- Developed at the Department of Civil and Environmental Engineering, NTNU Trondheim
- More info at: <u>www.reef3d.com</u>
- CFD Online Forum: <u>https://www.cfd-online.com/</u> Forums/reef3d/





# Modelling the Fluid-Structure Interaction

- Direct forcing immersed boundary method
  - Rigid body dynamics described by Euler parameters
  - Weak coupling
  - Implicit boundary conditions enforced with forcing term



(a) Original STL representation.



(b) Level set representation indicated by grey contour lines in x-z plane. Yellow surface shows  $\Phi_s = 0$ .

#### Mooring Models

Dynamics of a mooring line neglecting bending stiffness [31]:

$$\gamma \frac{\partial^2 \mathbf{r}}{\partial t^2} = \frac{\partial F_T \mathbf{f}}{\partial s} + \mathbf{F}_e. \tag{10}$$

#### r - line coordinates

- $\gamma$  specific weight of the material
- $F_T$  magnitude of the tension force
- f unit vector pointing in the direction of tension force

 $\mathbf{F}_{e}$  - external forces including gravitation and hydrodynamic effects.

Assuming small line motion in time, (10) simplifies to static equilibrium

$$\frac{\partial F_T \mathbf{f}}{\partial s} = -\mathbf{F}_e. \tag{11}$$

- Lumped mass method solved for bar vector directions.
- Equally distributed mass, linear elasticity and hydrodynamic transparency.



## Net Model

- Coupling net and fluid dynamics
  - Structure cannot be resolved in fluid domain
  - Hydrodynamic forces on net using screen force model (alternative to Morison equation)
  - Effect of net on fluid trough additional source term in Navier-Stokes equations



screen force model

 $\vec{F}_D = \frac{\rho}{2} C_D A u_{rel}^2 \vec{n}_d,$  $\vec{F}_L = \frac{\rho}{2} C_L A u_{rel}^2 \vec{n}_l,.$ 



Lagrangian markers within a kernel D

$$\frac{\partial}{\partial x_i} \left( \frac{1}{\rho} \frac{\partial p^{(n+1)}}{\partial x_i} \right) = \frac{1}{\Delta t} \frac{\partial}{\partial x_i} \left( u_i^{(*)} - F_i \right),$$



resulting pressure jump at the net

## Net Dynamics Model

#### Challenges:

- Non-linear material laws
- Large deformations
- Two distinct stress directions

#### • Solution:

- finite number of mass points
- connected by non-linear elastic bars pointing in the principal directions of the meshes
- Solving dynamic force equilibrium (Newton's second law)
- Implicit method to keep physical connections automatically fulfilled





 $m_i \mathbf{a}_i = \sum_{k=1}^{N_i} \mathbf{T}_{ik} + \mathbf{F}_i.$ 

## Floating Algorithm Validation



Figure 10: 3DOF motion of the two-dimensional barge over time. Comparison of numerical and experimental results for  $\Delta x = 0.01$  m and CFL= 0.1.

# Mooring Models

- Quasi-static approach = Robustness



#### Net Model Validation: Waves

- Fixed net panels with Sn = 0.095 0.288 in regular waves
- ▶ Wave heights *H* = 0.045 m − 0.167 m.
- Wave frequencies f = 1.0 Hz 1.42 Hz.
- 5th-order Stokes waves.

P.F. Lader et al. "Experimental Investigation of Wave Forces on Net Structures". In: *Applied Ocean Research* 29 (3) (2007), 112–127.



(a) Surface elevation at the wave gage.



(b) Drag force for net case 1.



#### Net Dynamics Model Validation

#### - Validation for moving net wall in current

C.-W. Bi et al. "Numerical simulation of the interaction between flow and flexible nets". In: J. Fluids Struct. 45 (2014), 180–201.



## Net Model



## Application to Open Ocean Aquaculture structures

- Circular structure with D = 1 m adapted from Zhao et al.
- 9 pontoons with columns on top connected with pipes.
- Uniform mass distribution assumed.
- Rigid net system with solidity 0.145.
- Mooring system: 4 linear springs with pretension.

Y. Zhao et al. "Experimental Investigations on Hydrodynamic Responses of a Semi-Submersible Offshore Fish Farm in Waves". In: *Journal of Marine Science and Engineering* 7 (2019). DOI: 10.3390/jmse7070238.

- Convergence test for heave and pitch decay  $\rightarrow \Delta x = 8$  mm around structure.
- Regular waves with H = 0.06 m and 0.1 m and T = 1.0 s, 1.2 s, 1.4 s.
- ▶ Jonswap spectra with  $H_s = 0.1$  m and  $T_p = 0.5$  s 3.5 s.
- Response amplitude operators from power spectra using discrete FFT.



# Application to Open Ocean Aquaculture structures



# Flatøya Aquaculture Site



## WINDMOOR floating offshore wind



# Vegetation in a flow field

